

## Chapter 7 – Similar Triangles and Trigonometry

### 7.0 - Beginnings

We will begin our study of trigonometry by looking closely at **Triangles**.

Two Terms you need to know:

- 1) **Congruence** means *Exact same (angles and sides)*

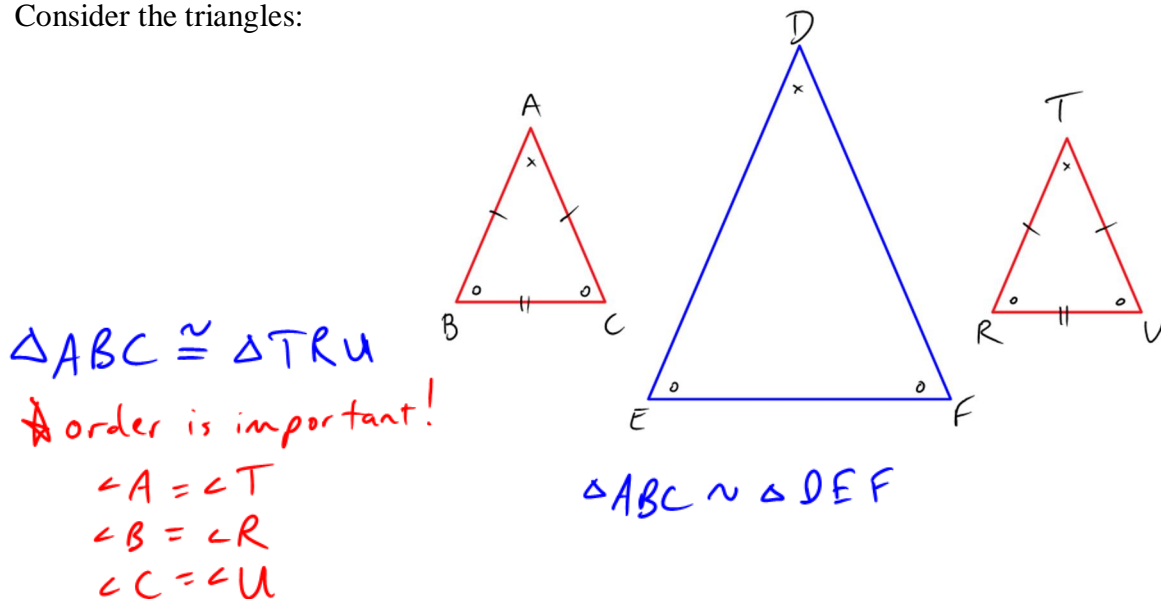
$$ASA \cong, SAS \cong, SSS \cong$$

- 2) **Similarity** means *same shape (different size)*

$$AA \sim \text{similarity}, SAS \sim, SSS \sim \rightarrow \text{ex. } \triangle ABC \sim \triangle DEF$$

+ twice the size

Consider the triangles:



In order to solve problems using triangles we need some technique (mostly algebra skills). For similar triangles, being able to solve proportions (using ratios) is **HUGE**.

**Example 7.0.1:** Solve the proportions for  $x$

$$a) \left( \frac{x}{3} \right) = \left( \frac{5}{8} \right) \times \frac{3}{1}$$

$$x = \frac{15}{8}$$

$$b) \frac{5}{x} = \frac{9}{7}$$

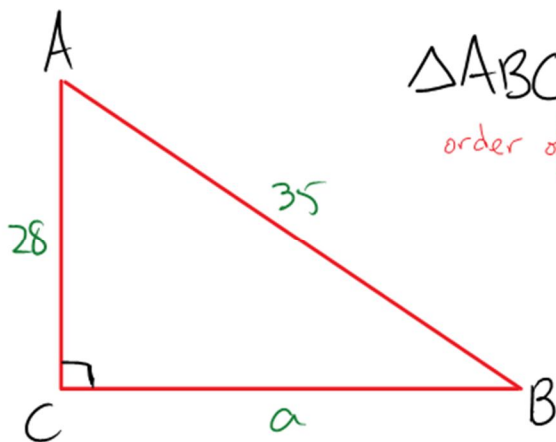
\* Cross multiply when the unknown is on the bottom  
\* Equal sign in between

$$9x = \frac{35}{9}$$

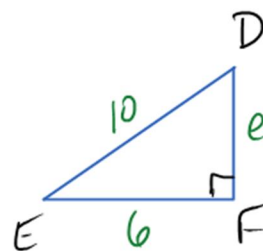
$$x = \frac{35}{9}$$

**Example 7.0.2**

Given the two similar triangles, find  $a$  and  $e$ .



$\triangle ABC \sim \triangle DEF$  mean  $\frac{AB}{DE} = \frac{BC}{EF} = \frac{AC}{DF}$   
order of letters MATTERS!



$$6 \times \left( \frac{9}{6} \right) = \left( \frac{35}{10} \right) \times 6$$

$$a = \frac{210}{10}$$

$$\boxed{a = 21}$$

$$28 \times \left( \frac{e}{28} \right) = \left( \frac{10}{35} \right) \times 28$$

$$e = \frac{280}{35}$$

$$\boxed{e = 8}$$

**Class/Homework:** Pg. 371 - 372 # 2 - 9 (Ask for help if you need it!)