6.1 - This chapter deals with Sinusoidal Functions, which are just a type (a subset) of Periodic Functions. The two sinusoidal functions we will work with are:

 $f(\mathbf{Q}) = \sin \theta \text{ and } f(\mathbf{Q}) = \cos \theta$

Periodic Function:

- a function which repeats over regular/equal intervals - the f(x) or y-values repeat.

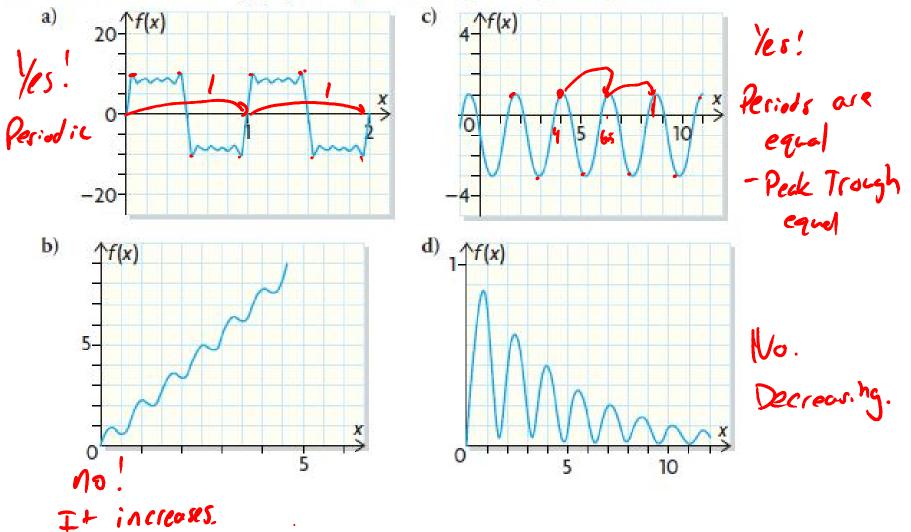
Period:

- the change in the x-values that correspond to one cycle - a cycle is the part of the function that repeats. Trough:
- the maximum y value - the minimum y-value Peak:

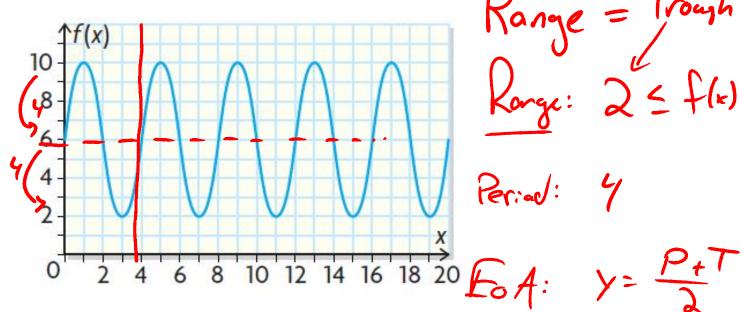
- the equation of the horizontal line half way between the peak and trough. $y = \frac{peak + trough}{2}$ Amplitude:

- the distance from the peak or trough to the Eos A ralworl Positive!

1. Which of the following graphs are periodic? Explain why or why not.



2. Determine the range, period, equation of the axis, and amplitude of the function shown.

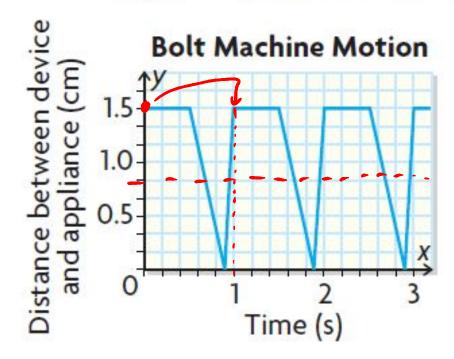


$$\gamma = \frac{\beta + 1}{2}$$

$$\gamma = \frac{10 + 2}{2} = 6$$

Amplitude: 4

- 3. The motion of an automated device for attaching bolts to a household appliance on an assembly line can be modelled by the graph shown at the left.
 - a) What is the period of one complete cycle? one second
 - b) What is the maximum distance between the device and the appliance? 1. 5cm
 - c) What is the range of this function? $0 \le y \le 1.5$
 - d) If the device can run for five complete cycles only before it must be turned off, determine the domain of the function. $0 \le x \le 5$
 - e) Determine the equation of the axis. $\gamma = \frac{1.5 0}{2} = 0.75$
 - f) Determine the amplitude. 0.75
 - g) There are several parts to each complete cycle of the graph. Explain what each part could mean in the context of "attaching the bolt."



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