Math 11U

Name: / 1 Hagen Introduction to Functions Test $\frac{1}{13}K$ $\frac{1}{18}T$ $\frac{1}{16}C$ A function has a one to one selationship with the x ad y Every \times (input) produces only one y-value (catput) er each is a function or just a relation. Justify your answer. ____8K every \times . values. 2. State whether each is a function or just a relation. Justify your answer. ____ 8K selation because y produces two values. a) {(0,3), (5,3), (2,7), (1,8), (6,4), (3,3)} b) $y^2 = 2x - 6$ A function because every $x = \frac{1}{2x-6} \qquad y = \frac{1}{2(8)-6}$ × produes one Y. c) {(1,5), (2,3), (4,7), (6,2), (2,5), (3,3)} d) Not a function 10 5 10 Function because it 5 10 passes the ULT because x=2 has two ophins 3. Let f(x) = 3x + 5 and $g(x) = -2x^2 - 3x + 8$. ___4K a) Evaluate f(2)b) Find x so that f(x) = -7f(2) = 3(2) + 5-7= 3x+5 -12 = 3× f(2) = 11 -4=x , f(-4) = -7

c) Evaluate g(-3) $q(-3) = -2(-3)^{2} - 3(-3) + 8$ = -a(9) + 9 + 8- -18 +9+8 - -

d) Evaluate f(2) - g(-3)= 11 - (-1)= |1 +1 = 12

4. We looked at five functions this unit. One is a linear function, f(x) = x. For the other four functions, give their name, their function (equation), table of values and sketch. **Note: a sketch is a simple drawing without numbers which should only take 20 seconds to draw** _____16C



5. Determine the domain and range for each function below: ___6T

a)
$$f(x) = \frac{(1)}{2}(x+4)^{2} + 6$$

$$D: \{ x \in R \}$$

$$R: \{ f(x) \in R \} f(x) = 6 \}$$

b)
$$g(x) = 2\sqrt{2(x+4)} - 3$$

$$D: \{ x \in R \mid x \ge -4 \}$$

$$R: \{ q(x) \in R \mid q(x) \ge -3 \}$$

$$c) h(x) = \frac{4}{3x-12} + \frac{2}{3(x-4)} \qquad not equal$$

$$D: \{ x \in R \mid X \neq 4 \}$$

$$R: \{ h(x) \in R \mid h(x) \neq 2 \}$$

6. Graph f(x) and g(x) (from above) by using transformations on the same set of axes. Organize your answers and label which graph is which function. [T:12]

`(*) D V. Str of -1/2 D H. Sk. +1 of -4 (3) U. Shift of +6 +6 な Ч 5.5 6 д Ù 5.5 4

$$\begin{array}{c} g(x) \\ () & u \, \text{Str of } 2 \\ () & H \cdot \text{Str of } y_2 & \text{or } \neq 2 \\ () & H \cdot \text{Str of } y_2 & \text{or } \neq 2 \\ () & H \cdot \text{Str of } - 9 \\ () & V \cdot \text{Str of } - 9 \\ () & V \cdot \text{Str of } - 3 \\ () & V$$

