

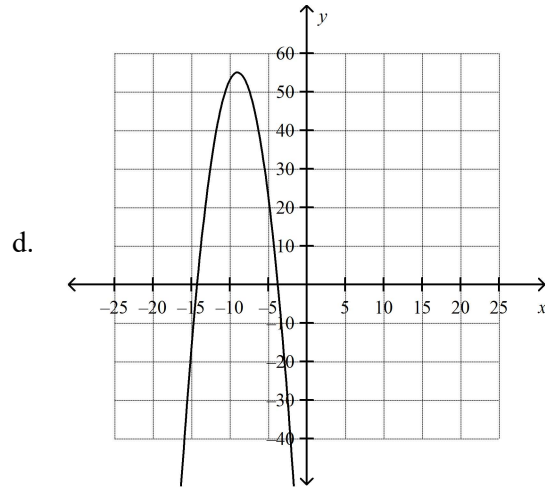
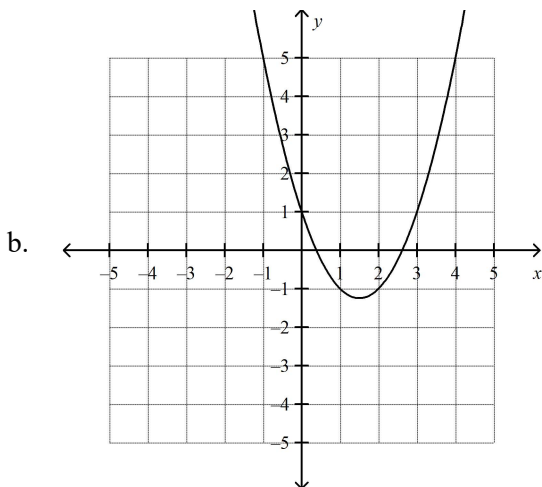
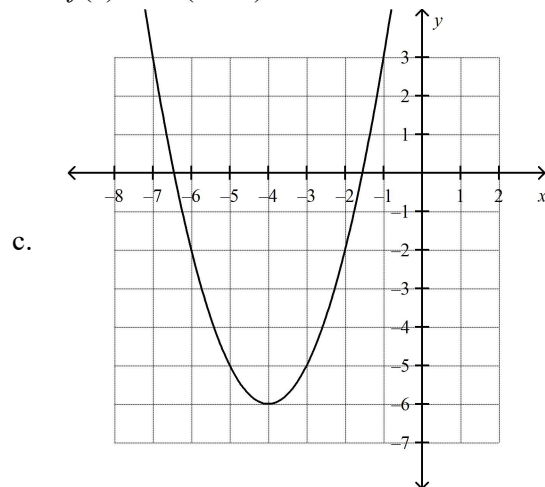
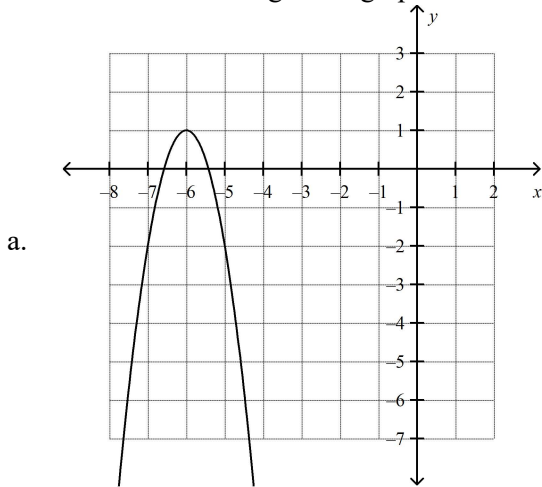
3U: U3 - Lessons 1 - 3 Review

Multiple Choice

Identify the choice that best completes the statement or answers the question.

- _____ 1. Which of the following is true about the parabola for the function $f(x) = 3(x - 4)^2 + 5$?
- | | |
|-----------------------------|---------------------------------------|
| a. The y -intercept is 0. | c. The axis of symmetry is $x = -4$. |
| b. The vertex is $(4, 5)$. | d. The parabola opens down. |

- _____ 2. Which of the following is the graph for the function $f(x) = -3(x + 6)^2 + 1$?



- _____ 3. The Canada Calendar Company reduces the prices of its calendars each January. The function $f(x) = -25(x - 9)^2 + 200$ models the company's profits, where x is the price of a calendar in dollars. At what calendar price will the company receive maximum profits?
- | | |
|--------|---------|
| a. \$5 | c. \$10 |
| b. \$9 | d. \$15 |

Provide clear solutions to the following problems:

13. A quadratic function has these characteristics:
 $x = 1$ is the equation for the axis of symmetry.
 $x = -1$ is an x -intercept.
 $y = -4$ is the minimum value.
Determine the y -intercept of this parabola. Hint - you need the equation of the quadratic function. Which form (standard, vertex or zeros/factored form) should you use, and why?
14. Does the parabola for the function $f(x) = -(x - 7)^2 + 10$ open up or down? What is the range? Explain your answer by drawing a rough sketch (plot the vertex and direction of opening - no need for the zeros, y -intercept and its symmetric partner - just a rough sketch)
15. An ice cream company varies the prices of its pint containers to maximize profit. The function $P(x) = -80(x - 3)^2 + 150$ models the company's profits in thousands of dollars, where x is the price of a pint of ice cream in dollars. At what price will the company receive **maximum** profits? How much profit will the company earn? (when you see the word maximum (or minimum), bells should go off in your head and you should hear a voice which says "Find the Vertex" - you have many options, and in this case finding the vertex is ridiculously easy).
16. The cost, $c(x)$, in dollars per hour of running a certain fishing boat is modelled by the function $c(x) = 0.9x^2 - 18.1x + 135.1$, where x is the speed in kilometres per hour. At what approximate speed should the boat travel to achieve **minimum** cost? (use your favorite method for finding the vertex - personally I like finding the AoS by using $AoS = \frac{-b}{2a}$)
17. The cost function for a clock factory is $C(x) = 7x + 27$ and the revenue function is $R(x) = -4x^2 + 39x$, where x is the number of clocks sold, in thousands. Determine the profit function for the number of clocks sold. Then determine the number of clocks sold that maximizes profit.
18. Simplify.
 $-4\sqrt{51} \times 6\sqrt{3}$
19. Simplify.
 $3\sqrt{12} + \sqrt{24} - 2\sqrt{36}$
20. Simplify $(7 + \sqrt{50})(-9 - \sqrt{32})$.
21. Simplify.
 $3\sqrt{2}(6\sqrt{6} - \sqrt{10}) - 12\sqrt{3}$
22. Simplify $(8 - 3\sqrt{6})(2\sqrt{14} - 5)$.