

VECTORS

Chapter 6 – Introduction to Vectors

(Material adapted from Chapter 6 of your text)

$A\infty\Omega$
MATH@TD

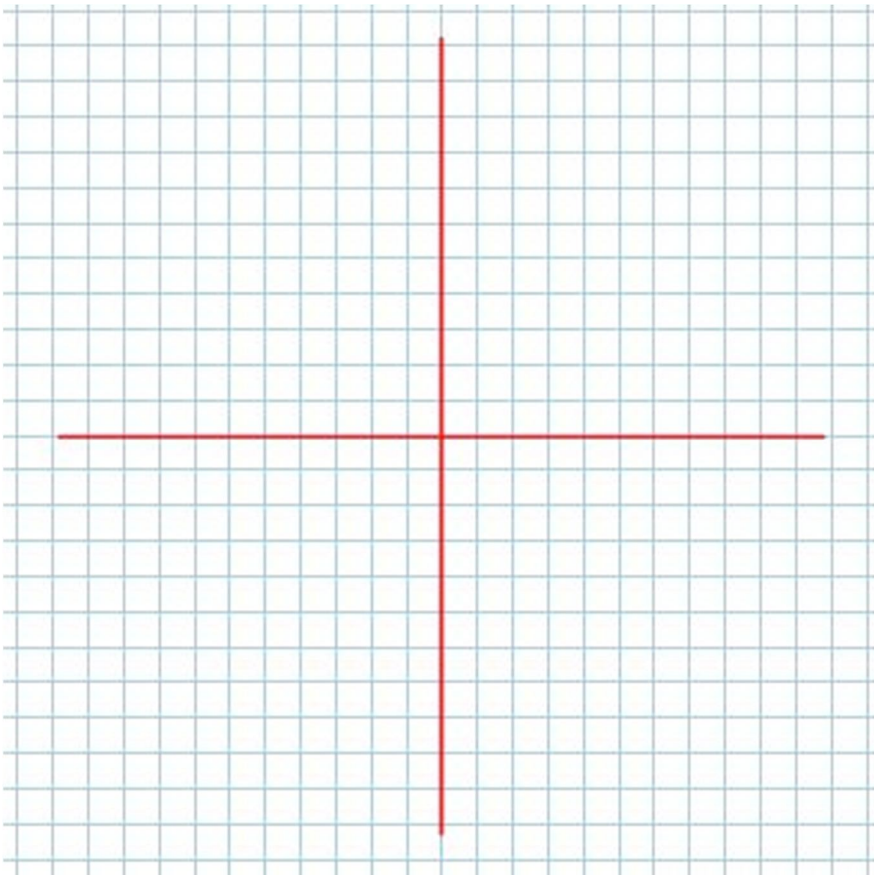
6.1 An Introduction to Vectors

Definition 6.1.1

A **vector** is a **mathematical object** which carries **two characteristics**:

Geometrically we can think of (or visualize) vectors as **directed line segments**

Picture



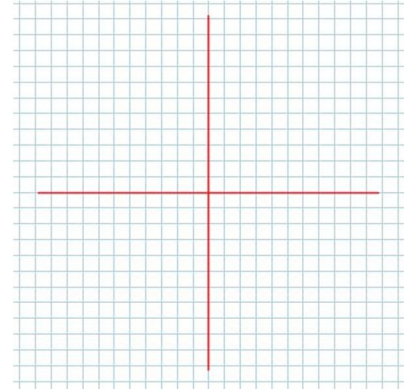
Notes:

Some Basic Notations

1) In general we “write” vectors (or algebraically represent vectors):

a) With **capital letters** indicating the “**tip**” and “**tail**” **points** of the vector

b) With a single lower case letter



2) We write the **Magnitude** of vectors with “absolute value bars”

(**KNOW YOUR CONTEXT!**)

e.g. The magnitude of \vec{a} is given by

The magnitude of \overrightarrow{AB} is

Concerning Magnitude

a) **Magnitude** is just a **number**

b) The **magnitude** of any vector is always positive (since it represents the **length** of the vector).

3) Two vectors \vec{a} and \vec{b} are said to be **equal** (or **equivalent**) if:

a)

b)

Pictures

4) A **scalar** is a (mathematical) quantity which can “scale” vectors (describing size)

Examples:

Magnitude is a

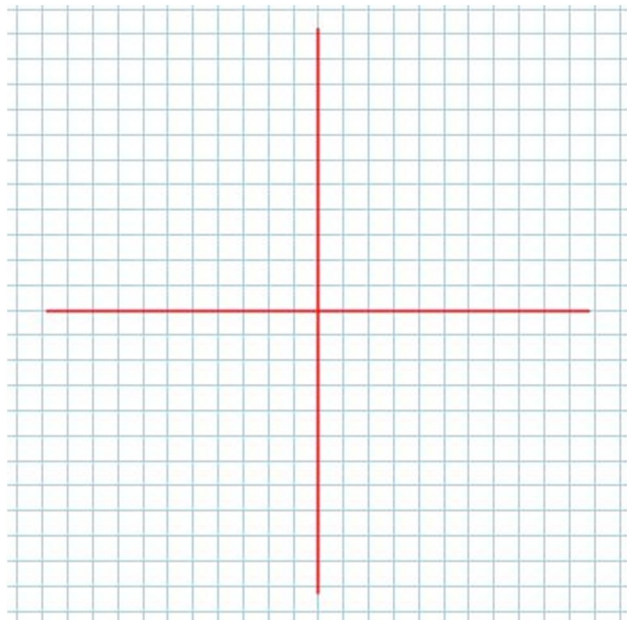
Speed is a

Velocity is a

Scalars can “stretch” or “shrink” vectors (in terms of magnitude).

Scalars can be negative.

Picture:



Comment

5) If $\vec{a} = -\vec{b}$, then we have that

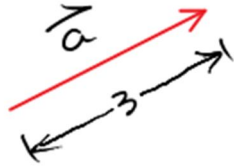
a) \vec{a} and \vec{b} are pointing in opposite directions, but

b) $|\vec{a}| = |\vec{b}|$

We sometimes call \vec{a} and \vec{b}

Example 6.1.1

Given the vector



Draw a) \vec{b} so that $|\vec{b}| = |\vec{a}|$ but $\vec{b} \neq \vec{a}$

b) \vec{c} so that $\vec{c} = 2\vec{a}$

Example 6.1.2

Using a scale of $1\text{cm} = 5\text{km/hr}$ draw a vector which represents
 25km/hr $[S60^\circ E]$

Class/Homework for Section 6.1

Pg. 279 – 281 #1, 2, 4 – 10