Chapter Self-Test

- a) Write the standard form of a general polynomial function. Then state the degree and leading coefficient of this function.
 - **b**) What is the greatest number of turning points that this function can have?
 - c) What is the greatest number of zeros that this function can have?
 - d) If the least number of zeros is one, describe the degree of this function.
 - e) A polynomial function is less than zero for all *x*. Describe the degree and the leading coefficient of this function.
- **2.** Determine the equation of the polynomial function y = f(x) shown. Express your answer in factored form.
- **3.** Factor each expression. a) $2x^3 - x^2 - 145x - 72$ b) $(x - 7)^3 + (2x + 3)^3$
- 4. LaDainian graphed the cubic function $g(x) = x^3 4x^2$, and then vertically translated the graph 1 unit up. Does the resulting graph have fewer zeros, the same number of zeros, or more zeros than the original graph?
- 5. During which intervals of x is the graph of the function f(x) = -(x + 3)(x + 5)(x 1) below the x-axis?
- 6. Divide $6x^3 + x^2 12x + 5$ by 2x 1. Is the divisor a factor of the dividend?
- 7. The function y = x³ has been vertically stretched by a factor of 5, horizontally compressed by a factor of ¹/₂, horizontally translated 2 units to the right, and vertically translated 4 units up.
 - a) Write the equation of the transformed function.
 - **b)** The point (1, 1) is on the parent function. Determine the new coordinates of this point on the transformed function.
- 8. Julie divided $x^4 + 3x^3 9x^2 + 6$ by a polynomial. Her answer was $x^3 2x^2 + x 5$, with a remainder of 31. What polynomial did Julie divide by?
- 9. The function $f(x) = ax^4 + 8x^2$ has three turning points, an absolute maximum of 8, and one of its zeros at x = 2. Determine the value of *a* and the location of the other zeros. Then sketch the graph of f(x).

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