

- **15.** a) Answers may vary, e.g., (0, 5), (-2, 5); $y = (x + 1)^2 + 4$ b) Answers may vary, e.g., (0, -3), (6, -3); $y = -(x - 3)^2 + 6$ c) Answers may vary, e.g., (0, -147), (14, -147); $y = -3(x - 7)^2$ d) Answers may vary, e.g., (0, 41), (10, 41); $y = 2(x - 5)^2 - 9$
- **16.** a) $y = (x 3)^2 17$ b) $y = -2(x - 2)^2 + 50$ c) $y = 3(x + 2)^2 - 10$ d) $y = -2(x - 3)^2 + 7$



b) maximum height: 27.0 m at time 2.3 s

Chapter Self-Test, page 306

1. a)
$$y = \frac{1}{2}(x-1)^2 - 9$$

b) vertical compression by a factor of $\frac{1}{2}$, translation 1 unit right and

9 units down



- **4.** Answers may vary, e.g., $y = 2(x 4)^2 10$
- **5.** a) P = -2(x 3)(x 9)
 - b) zeros: 3, 9; break-even values (in \$100 000s)
 c) number of shoes sold: 600 000; maximum profit: \$1 800 000



- **b)** vertex: (2.5, 115); $h = -5(t 2.5)^2 + 115$; $h = -5t^2 + 25t + 83.75$
- c) regression: $h = -5t^2 + 24t + 88$; very close to model for part b)
- **d**) maximum height: 116.8 m 2.4 s after it is launched **e**) about 7.23 s

Chapter 6

Getting Started, page 310

- 1. vertex: (-1, 8); equation of the axis of symmetry: x = -1; zeros: -3, 1
- **2.** a) iii **b**) i c) ii



- **b**) *y*-intercept: -41; equation of the axis of symmetry: x = 3; vertex: (3, -5)
- **10.** a) Disagree. Some cannot be factored, e.g., $x^2 + x + 1$.
 - **b)** Agree. The graph of every quadratic relation has a vertex. This vertex shows the maximum or minimum value, e.g., x^2 has a minimum value and $-x^2$ has a maximum value.
 - c) Disagree. Some have no *x*-intercepts, e.g., $x^2 + 1$. Some have one *x*-intercept, e.g., $(x 3)^2$.

Lesson 6.1, page 319

1. a)
$$y = x^2 - 4x + 4$$
 b) $y = 2x^2 - 9x - 5$

2. a)
$$-3, 3$$
 b) $-\frac{1}{2}, 3$

5. a)
$$0, -4$$
 (b) 3 (c) $-2, -5$
b) $-10, -8$ (c) $-\frac{8}{3}, 4$ (c) $-2, -5$
b) $-10, -8$ (c) $-\frac{8}{3}, 4$ (c) $-2, 4$
4. a) yes (c) $10, -8, 3$ (c) -2 (c) $10, 5$ (c) $10, -2, 8$ (c) $13, 4$
6. a) $-\frac{1}{3}, 2; 3\left(-\frac{1}{3}\right)^2 - 5\left(-\frac{1}{3}\right) - 2 = 0; 3(2)^2 - 5(2) - 2 = 0$
b) $\frac{1}{2}, -2; 2\left(\frac{1}{2}\right)^2 + 3\left(\frac{1}{2}\right) - 2 = 0; 2(-2)^2 + 3(-2) - 2 = 0$
c) $-\frac{5}{3}, 3; 3\left(-\frac{5}{3}\right)^2 - 4\left(-\frac{5}{3}\right) - 15 = 0;$
 $3(3)^2 - 4(3) - 15 = 0$
d) $-\frac{1}{2}, \frac{2}{3}; 6\left(-\frac{1}{2}\right)^2 - \left(-\frac{1}{2}\right) - 2 = 0; 6\left(\frac{2}{3}\right)^2 - \left(\frac{2}{3}\right) - 2 = 0$
e) $-\frac{1}{2}, \frac{3}{2}; 4\left(-\frac{1}{2}\right)^2 - 4\left(-\frac{1}{2}\right) - 3 = 0;$
 $4\left(\frac{3}{2}\right)^2 - 4\left(\frac{3}{2}\right) - 3 = 0$
f) $\frac{1}{3}; 9\left(\frac{1}{3}\right)^2 - 6\left(\frac{1}{3}\right) + 1 = 0$
7. a) $x^2 + x - 12 = 0; 3, -4$ d) $x^2 + 15x + 56 = 0; -7, -8$
b) $2x^2 + 7x - 4 = 0; \frac{1}{2}, -4$ e) $x^2 - x - 6 = 0; -2, 3$
c) $x^2 + 5x + 4 = 0; -1, -4$ f) $4x^2 + 3x - 1 = 0; -1, \frac{1}{4}$
8. a) $-8, 4$ c) $-\frac{2}{5}, 6$ e) $\frac{5}{2}$
b) $-6, -5$ d) $-7, 2$ f) $\frac{2}{3}, -6$
9. a) $-5.37, 0.37$ c) $1, -1$ e) $-1.69, 1.19$
b) $0.5, 1.5$ d) $1.54, -4.54$ f) $1.16, -5.16$
10. a) $10, 30$ b) 20
11. 5 m
12. a) 13500 b) $650, 1000$
3. $(1.5, 4), (-4, 15)$

a) 0 - 4

a) 5

a) -2 -2

- 15. Answers may vary, e.g., sometimes it is possible to graph the corresponding relation y = ax² + bx + c and solve for the zeros, either
- corresponding relation $y = ax^2 + bx + c$ and solve for the zeros, either visually or using graphing technology. Some relations, however, will have no zeros. Therefore, the corresponding equations will have no solutions. **16.** Answers may vary, e.g.,
 - a) I would rewrite any equation that had any term other than *y* on one side, so that I could factor it. For example, x² 2x = 15 should be rewritten as x² 2x 15 = 0 to make it easier to solve.
 b) The *x*-intercepts of the relation are the solutions to the equation.

17. For
$$x^4 - 9x^2 + 20 = 0$$
, the solutions are $\pm \sqrt{5}$ and ± 2 . For

$$x^{3} - 9x^{2} + 20x = 0$$
, the solutions are 0, 5, and 4.

18. Answers may vary, e.g., no; some equations may have two solutions, one solution, or no solutions. You can tell from the number of *x*-intercepts that the graph of the corresponding quadratic relation has. For example, x² - 8x + 15 = 0 has two solutions, x² + 4x + 4 = 0 has one solution, and x² + 1 = 0 has no solution.

Lesson 6.2, page 323

1. a) 16; $x^2 + 8x + 16 = (x + 4)^2$ b) 49; $x^2 - 14x + 49 = (x - 7)^2$ c) $400; x^2 + 40x + 400 = (x + 20)^2$ d) $100; x^2 + 20x + 100 = (x + 10)^2$ e) $6.25; x^2 - 5x + 6.25 = (x - 2.5)^2$ f) $0.25; x^2 + x + 0.25 = (x + 0.5)^2$ 2. a) 75 c) -4 e) 5 b) 18 d) 150 f) 63

Lesson 6.3, page 331

1. a)
$$\blacksquare = 36, \blacklozenge = 6, \blacklozenge = 31$$

b)
$$\blacksquare = 6, • = 9, • = 3, = 36, * = 51$$

2. a) $y = (x + 4)^2 - 16$

b)
$$y = (x - 6)^2 - 39$$

- c) $y = (x + 4)^2 10$
- **3.** a) (-2, -8) b) (-2, 26) c) (1.25, -5.25)**4.** a) $y = -2(x - 3)^2 + 7$

$$y = -2x^2 + 12x - 11$$

a) minimum: -49
b) minimum: -273
c) maximum: 198

-17

6. a)
$$y = (x + 5)^2 - 5$$

b) $\gamma = -(x - 3)^2 + 8$

10



d) maximum: 5

e) maximum: 20.1

f) minimum: -97.7

2

c) $y = 2(x + 1)^2 - 4$



- 7. a) $y = (x 4)^2 12$; translation 4 units right and 12 units down b) $y = (x + 6)^2$; translation 6 units left
 - c) $y = 4(x + 2)^2 + 20$; vertical stretch by a factor of 4, translation 2 units left and 20 units up
 - **d**) $y = -3(x 2)^2 + 6$; vertical stretch by a factor of 3, reflection in the *x*-axis, translation 2 units right and 6 units up
 - e) $y = 0.5(x 4)^2 16$; vertical compression by a factor of 0.5, translation 4 units right and 16 units down
 - **f**) $y = 2\left(x \frac{1}{4}\right)^2 + \frac{23}{8}$; vertical stretch by a factor of 2, translation 0.25 units right and 2.875 units up

- a) 0 m; there is no constant, so height = 0 m.
 b) h = -1.2(x 2.5)² + 7.5
 c) (2.5, 7.5)
 d) The ball reached a maximum height of 7.5 m, when it was 2.5 m in front of her.
 e) 5 m
- **9.** 8
- **10.** 5
- 11. $y = -2x^2 + 16x 7$: no error $y = -2(x^2 + 8x) - 7$: +8x should be -8x $y = -2(x^2 + 8x) - 7$: +8x should be -8x $y = -2(x^2 + 8x + 64 - 64) - 7$: +64 - 64 should be +16 - 16 $y = -2(x + 8)^2 - 64 - 7$: -64 should be $-64 \times (-2)$ $y = -2(x + 8)^2 - 73$; no error Therefore, the vertex is at (73, -8): (73, -8) should be (-8, 73). The correct solution is $y = -2x^2 + 16x - 7$ $y = -2(x^2 - 8x + 16 - 16) - 7$ $y = -2(x - 4)^2 + 32 - 7$ $y = -2(x - 4)^2 + 25$
 - The vertex is at (4, 25).
- **12.** Each piece should be 30 cm.
- **13.** 100 cm
- **14.** a) (1, 3)
 - b) Answers may vary, e.g., changing the value of the constant term would not affect the *x*-coordinate of the vertex, but it would increase or decrease the *y*-coordinate of the vertex by the amount that 3 is increased or decreased by. So an increase in the constant term would result in a vertical translation of the entire parabola.
- **15.** No. Tammy should not jump since the lowest point of the jump is 75.12 cm. She would be within 80 cm of the crocodile. The vertex is at (3.2, 75.12).

16. Answers may vary, e.g.,

Strategy 1: Factor the equation, and then use the factors to determine the zeros. Use the zeros to determine the equation of the axis of symmetry. Substitute into the equation to determine the *y*-coordinate of the vertex.

Strategy 2: Complete the square to write the equation in vertex form. Strategy 3: Use partial factoring to determine two points with a *y*-coordinate of -35. Use the midpoint formula to determine a point on the axis of symmetry. Substitute the *x*-coordinate of the midpoint into the equation to determine the maximum or minimum value. I prefer completing the square because it gives the vertex directly.

- **17.** \$605.00
- **18.** $(-0.5b, -0.25b^2 + c)$

Mid-Chapter Review, page 335

1.	a) 2, −6		d) about -1.39	, about 0.72	
	b) about -1.35,	about -6.65	e) about −0.77	, about 3.27	
	c) about 0.47, al	bout 8.53	f) about -0.83, -19.17		
2.	a) −8, 2	c) −5, 2	e) −4, 1		
	b) $-\frac{3}{2}$, 1	d) $-\frac{5}{3}, \frac{1}{2}$	f) −8, −4		
3.	a) −7, −5	b) $\frac{1}{2}$, -4	c) $-\frac{4}{3}, \frac{3}{2}$	d) 7, −5	
-					

4. 8 m

a) between 1.2 s and 8.3 s after the ball was thrown**b**) about 9.5 s

6. a) 16 c) 6.25 e)
$$-36$$

b) 25 **d**) 12.25 **f**) 40.5
a)
$$y = (x + 3)^2 - 12$$
 d) $y = -3(x + 3)^2 + 10$

7. a)
$$y = (x + 3)^2 - 12$$

b) $y = (x - 2)^2 + 1$
c) $y = 2(x + 4)^2 - 2$
d) $y = -3(x + 3)^2 + 10$
e) $y = 2(x + 2.5)^2 - 4.5$
f) $y = -3(x - 1.5)^2 + 4.75$

- 8. a) $\gamma = -4(x-5)^2 + 9$
 - **b**) vertex: (5, 9); equation of the axis of symmetry: x = 5c)





10. 2 s

Lesson 6.4, page 342

- **c)** a = 1, b = 6, c = 0**1.** a) a = 1, b = 5, c = -2**d**) a = 1, b = -10, c = -1**b**) a = 4, b = 0, c = -3
- 2. **a) i)** 3, −21
 - **ii)** 3, -21 iii) Answers may vary, e.g., I prefer factoring because it is faster.
 - **b**) **i**) $-\frac{1}{4}, \frac{3}{2}$ **ii)** $-\frac{1}{4}, \frac{3}{2}$

iii) Answers may vary, e.g., I prefer the quadratic formula because it is more straightforward.

- **3.** a) 5, −5 **c)** 2, −2 **d**) 6, −6 **b**) 1, −1
- 4. **a**) −5, 3 **d**) about 3.12, about 0.882
 - **b)** -4, -6 e) about -1.59, about -4.41
- **f**) 0, 8 **c)** 6, 8 5. **a)** -1.5, about 1.67 **c)** 4, -4 e) −4, −5
- **b)** 2.5 **d**) 0, 2.2 f) -1.25, about 2.67 Answers may vary, e.g., yes, since all the answers in question 5 are 6.
- integers or fractions, the equations could have been solved by factoring. Answers may vary, e.g., they will not have square roots. Since the 7.
- solutions are the same whether you use factoring or the quadratic formula, and the solutions determined from factoring contain no square roots, the solutions found using the quadratic formula cannot contain roots either.

8.	a) 4.24, −0.24	c) −0.28, −2.39	e) 0.70, 4.30
	b) -0.27, 1.47	d) −1, 1.5	f) 3.29, 0.71
9.	a) −1.16, 5.16	c) −2.5, 1	e) −1.44, 2.44
	b) -1.27, -4.73	d) 1.49, 0.05	f) 1.46, 7.54
10.	a) 1.68, −4.18	c) 1.68, −4.18	
	b) 1.68, -4.18	d) 1.68, −4.18	

11. **a)** All the solutions are the same.

b) Answers may vary, e.g., all the equations are constant multiples of each other. The equations are proportional to each other.

12. about (-0.92, -10.91), (1.52, 4.23)

- **13.** about 8
- **14.** a) about 0.2 s **b**) about 1.9 s
- **15.** about 9.98 cm by about 14.98 cm
- **16.** 9.7 m by 9.7 m

Strategy	Advantages	Examples
factoring	is usually quick if the equation is easily factorable;	$x^2 + 5x + 4 = 0$
	allows roots to be seen from the factors;	
	involves less complicated calculations	
quadratic	can be used when the	$2x^2 + 5x - 12 = 0$
formula	equation is not factorable over	$3.5x^2 + 15.7x + 2.8 = 0$
	integers;	$105x^2 - 187x - 156 = 0$
	can be used when	

- 18. about (0.49, 5.98), about (-4.49, -3.98)
- **19.** Answers may vary, e.g.,
 - **b)** $9x^2 12x 1 = 0$ a) $x^2 - 2x - 15 = 0$
- **20.** 6 cm, 8 cm, 10 cm

Lesson 6.5, page 349

- **1.** a) 1, 5 c) D = 16; since D > 0
- **b**) The graph has two *x*-intercepts.
- a) no solutions; e.g., the vertex is at (1, 3), and the graph opens upward; D < 0
 - **b**) two solutions; e.g., the vertex is at (5, 8), and the graph opens downward; D > 0
 - c) one solution; e.g., the vertex is at (-3, 0); D = 0

- 4. a) 2; e.g., the vertex is below the x-axis, and the graph opens upward; D > 0
 - **b**) 0; e.g., the vertex is below the *x*-axis, and the graph opens downward; D < 0
 - c) 1; e.g., the vertex is on the x-axis; D = 0
 - d) 0; e.g., the vertex is above the x-axis, and the graph opens upward; D < 0
 - e) 2; e.g., the vertex is above the x-axis, and the graph opens downward; D > 0
 - **f**) 1; e.g., the vertex is on the x-axis; D = 0

5. a) 0;
$$D < 0$$
 c) 2; $D > 0$ e) 2; $D >$

b) 0; D < 0**d**) 1; D = 0**f**) 2; D > 0

- 6. No. $500 = 250 + 5n 2n^2$ has no real solutions.
- **a)** Answers may vary, e.g., none, because the x^2 term must always be 7. positive; the lowest point of the bridge (vertex) should be above the water level.

0

- **b)** 24 m
- **8.** a) 1; the ball starts above the ground and falls downward. **b**) zeros: -0.10, 2.30; ignore the first zero since it is negative time.
 - c) Answers may vary, e.g., 5 m: twice; 7 m: once; 9 m: zero
 - d) For 5 m, D = 39.2; D > 0, so there are two roots. For 7 m, D = 0, so there is one root. For 9 m, D = -39.2; D < 0, so there are no roots.
- 9. a) below; the discriminant is positive, and the curve opens upward b) below; the discriminant is positive, and the curve opens upward c) on; the discriminant is zero

d) below; the discriminant is positive, and the curve opens upward c) k > 1.8

10. a) k < 1.8**b**) k = 1.8

- **11.** a) 216 m
 - **b**) If her hair touches the water, then the corresponding equation is $0 = -5t^2 + t + 216$. This has two solutions: t = 6.67 and t = -6.67. Only the positive solution makes sense in this situation. 6.67 s is the time it takes her to drop to the water.

- **12.** y < -41
- **13.** about 7.07 or about -7.07
- 14. Agree. e.g., r and s are both solutions to the relation, therefore there must be two solutions and the discriminant cannot be negative.
- **15.** Answers may vary, e.g., a) $\gamma = (x + 2)^2 - 9$; $\gamma = x^2 + 4x - 5$; D = 36**b**) $y = 2(x - 3)^2$; $y = 2x^2 - 12x + 18$; D = 0
 - c) $y = (x + 5)^2 + 2$; $y = x^2 + 10x + 27$; D = -8
- 16. Answers may vary, e.g., **iii)** y = (x - 12)(x - 3)a) i) y = (x - 2)(x + 6)**ii)** y = (x + 1)(x + 2)iii) $y = x^2 - 15x + 36$ **b) i)** $y = x^2 + 4x - 12$ ii) $y = x^2 + 3x + 2$ **c) i)** 64 **ii)** 1 iii) 81 d) If the discriminant is a perfect square, then the equation
 - is factorable.
- 17. 0

Lesson 6.6, page 357

- 1. a) vertex: maximum height and the time when it is reached; first zero: when the ball leaves the ground; second zero: when the ball returns to the ground
 - b) vertex: maximum height and the horizontal distance when it is reached; first zero: no meaning; second zero: horizontal distance from the building where it hits the ground
 - c) vertex: maximum profit, P, and the selling price that produces it; zeros: selling prices that would ensure the company breaks even
 - d) vertex: minimum cost of running the machine and the number of items that should be produced to ensure the minimum cost; no zeros, because they would not make sense
 - e) vertex: minimum height above the ground and the time when it is reached; no zeros, because zeros would mean that the person swinging went through the ground

- **3.** a) 23.88 m **b**) either 16.6 m or 73.4 m
- **4.** 6.25 m
- **5.** a) $P = -16(x 28)^2 + 1024$ **b**) \$20 or \$36
- 6. a) about 1.46 s
 - **b**) about 2.07 s
 - c) Answers may vary, e.g., because the relation is nonlinear; gravity is causing the diver to accelerate.
- **7.** 2.5 m by 7.5 m; 18.75 m²
- **8.** a) 570 **b)** 2006, 178 c) no
 - d) Answers may vary, e.g., probably not, since the curve continues to increase after 2006; so, in 2020, there would be 1746 deer; yes, if the deer population was predicted to continue growing at this rate.
- 9. a) about 31.38 s b) about 24.6 m
- 10. a) 75
 - b) when 35 to 115 items are produced
- **11.** about 0.84 m
- 12. about 6.74 m
- 13. either 16, 18, and 20, or -16, -18, and -20

14. a)
$$y = -\frac{16}{289}x(x-34)$$
 b) between 1.85 and

- 15. Answers may vary, e.g.,
 - a) The sum of two integers is 11. The sum of their squares is 61. Determine the integers.

32.15 m

b) Sean is practising skateboarding in a parabolic half-pipe. At one point, he has travelled 1.5 m horizontally and 2.5 m below the lip. If the half pipe is 15.0 m across, what is the vertical distance from the lip to the bottom?

- 16. rectangle: about 7.0 m by 4.5 m; triangle: about 7.0 m on each side
- **17.** 9 m by 12 m

Chapter Review, page 361

1.	a) $\frac{5}{2}, -\frac{8}{3}$	c) $-\frac{2}{3}, 4$	e) about -2.69, about 0.19
	b) −8, −4	d) 1, 8	f) about -0.26, about 1.11
2.	a) about 6.82 m	b) 45 km/h	

- c) 90.25
- **e)** −18.75 **3.** a) 16 **b)** 64 **d)** 18 **f)** 122.5 **4.** a) $y = (x + 4)^2 - 18$ **d)** $y = 0.2(x - 1)^2 + 0.8$ **b)** $y = (x - 10)^2 - 5$ e) $y = 2(x + 2.5)^2 - 24.5$ c) $y = -3(x - 2)^2 + 10$ f) $y = -4.9(x + 2)^2 + 31.6$

5. a) $y = -3(x + 2)^2 + 10$ **b**) stretch by a factor of 3, reflection in the *x*-axis, translation 2 units left and 10 units up



9.2 m 6.

b)

11.5 m by 23.0 m

· · ·	11.) III 0y 2	J.0 III				
8.	a) about 2.6	1, about -1.28	d) 1, 5		
	b) −2, 2		e) about –2.42, ab	out 0.76	
	c) about -1	.36, about 7.36	f	f) about 0.19, about 3.88		
9.	either about	0.82 m or abou	t 23.18 m			
10.	either about	113.67 cm or a	bout 246.33	3 cm		
11.	a) 2	b) 0	c) 0	d) 2	e) 2	
12.	a) 2	b) 2	c) 0	d) 2	e) 0	
13.	a) 500 m	b) about	22.4 s			
14.	about 160.0	m				
15.	\$6.25					
16.	about 0.4 m					
17.	either 16 and 28, or -16 and -28					
40	`	42(02 A/512 /	NOCI AIEE	0 40/// 410//		

18. a) revenue: \$3692, \$4512, \$4864, \$4550, \$3444, \$1946



c) Substitute the T-shirt prices into the relation, and determine whether the values of N you obtain are close to those in the table.

N = 1230 - 78(4) = 918

$$N = 1230 - 78(6) = 762$$

- N = 1230 78(8) = 606
- N = 1230 78(10) = 450
- N = 1230 78(12) = 294
- N = 1230 78(14) = 138

These values of N are close to those in the table, so this relation does approximate the number of students who will buy a T-shirt. **d)** $R = -78t^2 + 1230t$ **e)** between \$6.76 and \$9.01

Chapter Self-Test, page 363

- 1. Answers may vary, e.g.,
- **a**) -2.9, 0.9 **b**) -2, 0 **c**) -3, 1 **2. a**) -7, 2 **c**) 4, -4
- a) -7, 2
 b) about 0.12, about 1.68
 c) 4, -4
 d) about 2.58, about -0.58
- **3.** a) (-3, -32) b) (2.5, -42.75)
- **4.** yes, because all quadratic equations have a vertex, so it is possible to write an equation in vertex form by completing the square
- **5.** a) 0; e.g., D = -40; the discriminant is negative
 - **b**) 1; e.g., the vertex is on the *x*-axis; both factors are the same
- c) 1; e.g., the vertex is on the x-axis; both factors are the samea) No. The maximum revenue is \$1050.
- **b)** either 48 or 252
- c) either 76 or 224
- **d)** 150
- **7.** 6 m by 12 m
- Answers may vary, e.g., Reason 1: I could not make a square using those algebra tiles.

Reason 2: When 3 is factored out of all the terms, the coefficient of x is 2.

This means that the constant term would have to be $\left(\frac{2}{2}\right)^2 \times 3 = 3$, not 6, to be a perfect square.

9. \$3.25 (\$15.67 would be an unreasonable increase)

Cumulative Review Chapters 4–6, page 365

1.	D	6.	D	11.	С	16.	D	21.	С
2.	В	7.	С	12.	D	17.	С	22.	В
3.	А	8.	В	13.	А	18.	А	23.	В
4.	С	9.	D	14.	С	19.	С	24.	D
5.	А	10.	D	15.	А	20.	А	25.	D

^{26.} Write each relation in factored form.

The relation for Sid is P = -6(n - 4)(n - 8). The maximum profit occurs at (6, 24), which is the vertex of the graph of the relation. The maximum profit is \$24 000; it occurs when 6000 pairs of shoes are manufactured and sold. The break-even points are 4000 and 8000 pairs of shoes manufactured and sold.

The relation for Nancy is P = -8(n - 1)(n - 4). The maximum profit occurs at (2.5, 18), which is the vertex of the graph of the relation. The maximum profit is \$18 000; it occurs when 2500 pairs of shoes are manufactured and sold. The break-even points are 1000 and 4000 pairs of shoes manufactured and sold.





b) Yes. The second differences are constant.

c) Answers may vary, e.g., $y = -4.9x^2 + 447$

d) $y = -4.9x^2 + 447$; answers may vary, e.g., the fit is perfect.

- e) about 298.8 m above the ground
- **28.** a) Equation (1): Profit is maximized at \$1960, when x = 6. Selling price is \$25.99.

Equation (2): Profit is maximized at \$1653.69, when x = 2.25. Selling price is \$22.24.

- b) Equation ①: Zeros occur when x = -8 and x = 20. The breakeven prices are \$11.99 and \$39.99.
 Equation ②: Zeros occur when x = -10.01 and x = 14.51. The
- break-even prices are \$9.98 and \$34.50.
 c) Answers may vary, e.g., the recommended selling price is \$25.99, based on equation ①. This gives the greatest possible profit.

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1.	a) ii	b) iv	c) v d) ii	i e) i	f) vi
2.	a) 1	c) 17	7.5 e) ŝ	3.38	
	b) 8	d) 13	3.5 f) 2	2	
3.	a) 6.0 m	b) 10	0.5 cm		
4.	a) 2.8 cm	b) 3.	5 cm or 3.4 cm		
5.	a) 5:7	b) $\frac{1}{2}$	c)	-4:1	d) $\frac{3}{4}$
6.	a) 31°	b) 3	3° c) (74°	d) 60°
7.	a) congrue	nt; Both are t	he same shape and	d size.	

a) congruent; Both are the same shape and size.b) similar; Both are the same shape but different sizes.

the length of the side between the two 50° angles

- the length
 40.7 m
- 10. Answers may vary, e.g.,
 - a) ... they are opposite angles; ... they are the corresponding angles in a case with parallel lines
 - **b**) ... they are supplementary; ... they are the three interior angles in a triangle

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- 1. Yes. Corresponding angles are equal and the sides are proportional.
- **2.** a) $\triangle MNO$ b) $\triangle JLK$, $\triangle FDE$, $\triangle HGI$



